

Concurrency and Parallelism (Concorrência e Paralelismo – CP 11158)

Lecture 12

— Performance Analytics —



Some Parallel Patterns

- Source: Williams, A (2011) "Picking Patterns for Parallel Programs (Part 1)", Overload, 105, 15-17.
- Loop Parallelism
- Fork/Join
- Pipelines
- Actor
- Speculative Execution



Loop Parallelism

Problem

There is a **for** loop that operates on many independent data items

Solution

- Parallelize the for loop
- The operation should depend only on the loop counter, and the individual loop iterations should not interact

Positives

- Scales very nicely
- Very common

- Overhead of setting up the thread
- Avoid if there is interaction as the individual iterations may execute in any order



Fork/Join

Problem

- The task can be broken into two or more parts that can be run in parallel

Solution

- Use a thread for each part
- This can also be recursive

Positives

- Handles part interaction better than Loop Parallelism
- Works best at the top level of the application

- Needs to be managed centrally so that hardware parallelism is utilized efficiently
- Overhead of threads
- Bursty parallelism
- Uneven workloads



Pipelines

Problem

- There is a set of tasks to be applied in turn to data, FIFO order
 - This problem shows up in sensor data processing a lot

Solution

- Set up the tasks to run in parallel
- Fill the input queue

Positives

Adapted well to heterogeneous hardware configurations

- Setting it up
- Ensuring that the tasks have similar durations to avoid a ratelimiting step
- Cache interaction during transfers between pipeline stages



Actor

Problem

- Message-passing object-orientation with concurrency
- Message sending is asynchronous
- Response processing uses call-backs

Solution

- Objects communicating (only) via message queues

Positives

- Actors can be analyzed independently
- Avoids data races

- Setup and queue management overhead
- Not good for short-lived threads
- Not an ideal communications mechanism
- Limited scalability



Speculative Execution

Problem

 There's an optional path that may be required for a solution, but it takes a lot of time

Solution

- Start it early and cancel it if it's not needed
- This is part of how the human brain works

Positives

- Exploits parallelism
- Likely to improve performance

- Wastes energy and resources
- Interferes with other use of parallelism



Performance analytics

- The two main reasons for implementing a parallel program are to obtain better performance and to solve larger problems
- Performance can be both modeled and measured
- Illustrate some of the factors that influence the performance of a parallel program



Sequential Computing Time

- Consider a computation consisting of three parts: a setup section, a computation section, and a finalization section
- The total running time of this program on one processor is then given as the sum of the times for the three parts

$$T_{total}(1) = T_{setup} + T_{compute} + T_{finalization}$$



Parallel Computing Time

- Assume that...
 - The setup and finalization sections cannot be carried out concurrently with any other activities
 - The computation section can be divided into tasks that will run independently on as many processors as are available
 - with the same total number of computation steps as in the original computation
- The time for the full computation on P processors can therefore be given by

$$T_{total}(P) = T_{setup} + \frac{T_{compute}(1)}{P} + T_{finalization}$$

 The idea that computations have a serial part (for which additional PEs are useless) and a parallelizable part (for which more PEs decrease the running time) is realistic



Speedup

- An important measure of how much additional PEs help is the relative speedup S
 - Describes how much faster a problem runs in a way that normalizes away the actual running time

$$S(P) = \frac{T_{total}(1)}{T_{total}(P)}$$



Efficiency

 The efficiency E is the speedup normalized by the number of PEs

$$E(P) = \frac{S(P)}{P} = \frac{T_{total}(1)}{P \times T_{total}(P)}$$



Serial Fraction

- Ideally, speedup to be equal to P, the number of PEs
 - This is sometimes called perfect linear speedup
 - This can rarely be achieved because times for setup and finalization are not improved by adding more PEs, limiting the speedup
 - The terms that cannot be run concurrently are called the serial terms
- The running times of serial terms is the serial fraction, denoted γ

$$\gamma = \frac{T_{setup} + T_{finalization}}{T_{total}(1)}$$



Parallel Fraction

- The fraction of time spent in the parallelizable part of the program is then (1 γ)
- We can thus rewrite the expression for total computation time with P PEs as

$$T_{total}(P) = \gamma \times T_{total}(1) + \frac{(1 - \gamma) \times T_{total}(1)}{P}$$

$$T_{setup} + T_{finalization}$$



Amdahl's Law

 Now, rewriting S in terms of the new expression for T_{total}(P), we obtain the famous Amdahl's law

$$S(P) = \frac{T_{total}(1)}{T_{total}(P)} = \frac{T_{total}(1)}{(\gamma + \frac{1 - \gamma}{P}) \times T_{total}(1)} = \frac{1}{\gamma + \frac{1 - \gamma}{P}}$$



Maximum Speedup (infinite PEs)

- An ideal parallel algorithm, with no overhead in the parallel part, the speedup should follow the equation from Amdahl's Law
- What happens to the speedup if we take our ideal parallel algorithm and use a very large number of processors?
- Taking the limit as P goes to infinity in our expression for S yield



The End